Exploring Differences in Household Debt across Euro Area Countries and the US

Dimitris Christelis CSEF, CFS and CEPAR

Michael Ehrmann Bank of Canada

Dimitris Georgarakos Goethe University Frankfurt and CFS

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Motivation

Household borrowing important for household well-being and financial stability

Sizeable differences in household borrowing across countries

Link differences to household characteristics / economic environment

Background

Decomposition methods based on counterfactuals

Oaxaca (1973) and **Blinder** (1973): gender wage differentials; race differences in income/ wealth distributions; evolution of income and wealth inequality across time

Internationally comparable household survey data

Blau and Kahn (JPE, 1996): Decompose differences in male wage inequality between the US and nine OECD countries – key role of labour market conditions

Bover (ROIW, 2010): Decompose wealth differences between the US and Spain – key role of household structure (esp. at the lower end)

Christelis, Georgarakos and Haliassos (REStat, 2013): Decompose differences in asset holdings and mortgages among older (50+) households between the US and eleven European countries – key role for economic conditions

Data

Household Finance and Consumption Survey (HFCS)

Countries: Germany, Netherlands, Belgium, Luxembourg, France, Austria, Italy, Spain, Portugal, Greece, Cyprus – 48,289 households

US Survey of Consumer Finances (SCF) – 6,482 households

Use all five implicates

PPP adjusted values: 2005 US Dollars

AMECO database: Housing Price Indicator (harmonized)

Debt types

Collateralized debts (mortgages, home equity loans, debts for other real estate)

Non-collateralized debts (credit card balances, installment loans, overdrafts, other loans)

Differences in **prevalence**

Differences in conditional amounts outstanding







Decomposition

Using the US as a base:

$$Y^{US} - Y^{EA} = \{X^{US}\beta^{US} - X^{EA}\beta^{US}\} + \{X^{EA}\beta^{US} - X^{EA}\beta^{EA}\}$$

Covariate effects: Differences in the configuration of household characteristics (X's) between two countries

Coefficient effects: Differences in β 's (i.e. the way the X's are 'valued' in the market) – differences 'economic environments'

Two stage decomposition:

- 1. **Aggregate decomposition**: 'covariate' vs. 'coefficient' effects
- 2. **Detailed decomposition**: contribution of each individual covariate (or corresponding β)

Decomposition Methods

Oaxaca (1973) and Blinder (1973) for the mean – wage gap decomposition DiNardo, Fortin, and Lemieux (1996): Reweighting method Machado and Mata (2005): Quantile regression-based method

Going beyond the mean is tricky (DFL, MM: path dependent)

Firpo, Fortin and Lemieux (2009): replace the dependent variable by the corresponding recentered influence function (**RIF**) of the distributional statistic of interest and perform a linear estimation

The conditional independence assumption (E(u|X)=0) usually invoked in Oaxaca-Blinder decompositions can be replaced by the weaker *ignorability* assumption to compute the aggregate decomposition (i.e. unobserved factors can correlate with X's as long as the correlation is the same in *US* and *EA*)

Covariates

Age (age<40; 40-49; 50-59; 60 plus)

Marital status (couple; single; widowed; *divorced*)

Household size

Employment status (employed; self-employed; retired; other inactive; *unemployed*)

Education (college; high school; less than high school)

Income (*Q1*-Q4, re-assigned using the base country thresholds)

Financial wealth (*Q1*-Q4, re-assigned using the base country thresholds)

Real wealth (*Q1*-Q4, re-assigned using the base country thresholds)

Inheritance received

Non-Collateralized Debt - additional covariates:

Last year's income **unexpectedly low**

Expect next year's **income** to go up

Willingness to assume **more than average financial risk**













Collateralized Debt – conditional amounts

Additional covariates:

Year T_m that (the largest) outstanding mortgage was taken is known – merge with AMECO data

• Cumulative growth of housing price index (three years prior to T_m)

Duration of the (largest) mortgage

Time elapsed between t - T_m





















Summary and Conclusions

US: highest prevalence of collateralized and non-collateralized debt

NL, LU, CY: highest (conditional) outstanding amounts of collateralized and non-collateralized debt

US market conditions more conducive to having collateralized/ noncollateralized debt

US market conditions more conducive to higher collateralized/ noncollateralized debt outstanding (exception: the **NL**) Significant role of:

Real estate for collateralized debt

Education for non-collateralized debt

Extensions:

Explore differences in household financial distress (eg. DSIRs, LTVs)

RIF Regressions

Decomposing proportions is easier than decomposing quantiles

FFL recentered influence function (RIF) regressions. Run LP models (or logit/probit) for being below a given quantile, and divide by density (slope of cumulative) to locally invert.

Dependent variable is dummy 1(Y < QT) divided by density \rightarrow influence function for the quantile.

RIF approach works for other distributional measures (Gini, variance, etc.)

Chernozhukov et al. (2013): estimate "distributional regressions" (LP, logit or probit) for each value of Y (say at each percentile)

Invert back globally to recover counterfactual quantiles

In the case of quantiles, the RIF is:

$$\mathsf{RIF}(y; Q_{\tau}) = Q_{\tau} + \frac{\tau - 1\!\!1 \left\{ y \le Q_{\tau} \right\}}{f_Y(Q_{\tau})}$$

Similar RIF can be obtained for other distributional statistics such as a Gini coefficient

Unlike quantile regressions, an important property is that:

 $\mathsf{E}(\mathsf{RIF}(\mathsf{y},\mathsf{Q}_{\scriptscriptstyle \mathsf{T}})) = \mathsf{Q}_{\scriptscriptstyle \mathsf{T}}$

So if we have a regression model like

 $E[RIF(y,Q_T)|X] = X\gamma$

We can do a standard Oaxaca decomposition using the fact that

 $Q_{T} = E(RIF(y,Q_{T})) = E_{X}[E[RIF(y,Q_{T})|X]] = E[X]\gamma$